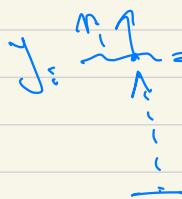


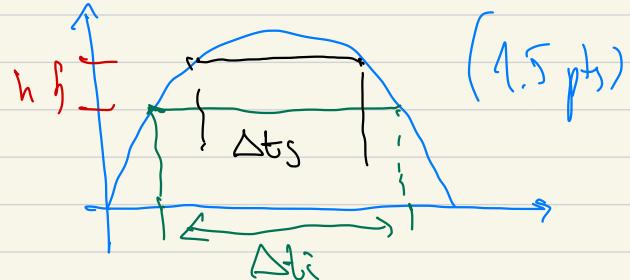

Punto

P2)



$$\Delta t_i, \Delta t_s, h \rightarrow g$$

⇒ Gf fijo el tiempo n/s tiempo



b) Averto vale g ?.

$$y_f = y_i + v_i t - \frac{gt^2}{2} ; t = \text{tiempo en morden h}$$

$$t = \frac{\Delta t_i - \Delta t_s}{2} \quad (0.5 \text{ pts})$$

$$\Rightarrow (y_f - y_i) = h = v_i t - \frac{gt^2}{2} \quad (1 \text{ pt})$$

$v_i ?? \Rightarrow$ En $\frac{\Delta t_i}{2}$ se lanza o le altive
máxima $\Rightarrow N_f = 0$

$$\Rightarrow 0 = v_i - g \frac{\Delta t_i}{2} \quad (1 \text{ pt})$$

$$\Rightarrow \Delta t_i = g \frac{\Delta t_s}{2}$$

$$\Rightarrow h = m \cdot t - \frac{g \frac{\Delta t_s^2}{2}}{2}$$

$$= \left(g \frac{\Delta t_s}{2} \right) \left[\Delta t_i - \frac{(\Delta t_i - \Delta t_s)}{2} - \frac{(\Delta t_i - \Delta t_s)^2}{2} \right]$$

$$= \left(g \frac{\Delta t_s}{2} \right) \left[\frac{\Delta t_i^2}{2} - \frac{\Delta t_i \cancel{\Delta t_s}}{2} - \frac{\cancel{\Delta t_s}^2}{2} + \frac{\Delta t_i^2}{4} + \frac{\cancel{\Delta t_i \Delta t_s}}{2} \right]$$

$$= \left(g \frac{\Delta t_s}{2} \right) \left[\left(\frac{\Delta t_i}{2} \right)^2 - \left(\frac{\Delta t_s}{2} \right)^2 \right]$$

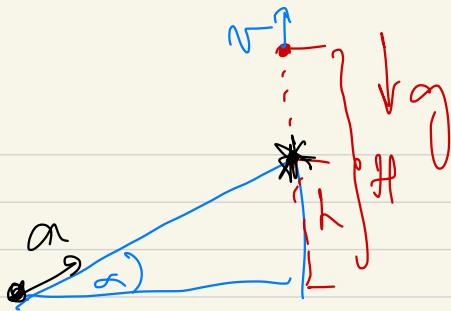
$$\Rightarrow 2h / \left[\left(\frac{\Delta t_i}{2} \right)^2 - \left(\frac{\Delta t_s}{2} \right)^2 \right] = g \quad \boxed{\left(\text{1 pt} \right)}$$

1) Si norma planos inclinados

$$g \rightarrow g \sin \alpha < g$$

\Rightarrow Ati } Ats crean, lo que resulta
medir en más precisión. (1 pto).

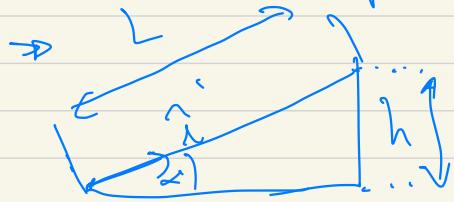
PT]



No pone que se frena
en ~~en~~

pase la partícula (•) que parte del reposo

↳ sobre la superficie del plano inclinado en \vec{g}



$$h/L = \sin(\alpha)$$

$$\Rightarrow L = \left(\frac{h}{\sin \alpha} \right)$$

$$(2pts) \Rightarrow \boxed{\frac{h}{\sin \alpha} = a \overline{t}^2}$$

\overline{t} es el tiempo que
demora en llegar

Cuanto es el tiempo que demora en recorrer la partícula (•)?

$$\Rightarrow H - h = H + \sqrt{b} - g \overline{t}^2 \quad \boxed{(1pt)}$$

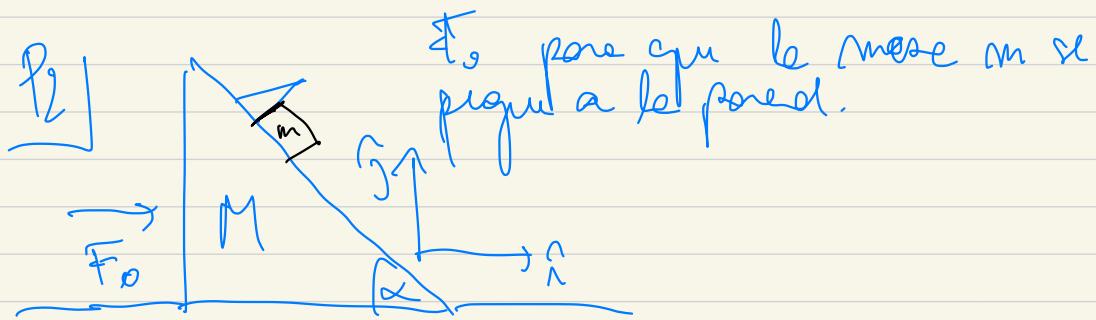
$$\Rightarrow \sqrt{b} = g \overline{t}^2 - h$$

$$\Rightarrow \boxed{\overline{t} = \sqrt{\frac{g \overline{t}^2}{2}} - \frac{h}{\overline{t}}} \quad \boxed{(2pts)}$$

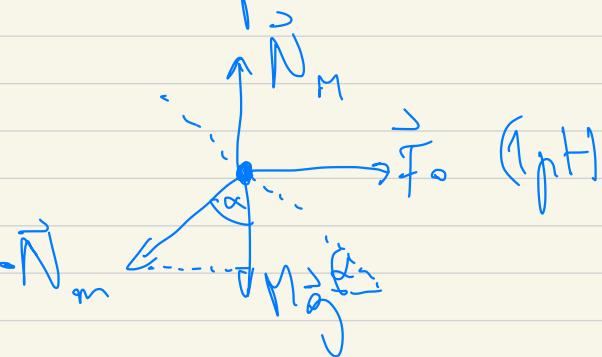
$$\left(\frac{h}{\sin \alpha}\right) = \frac{a \bar{G}^2}{2} \Rightarrow \left(\frac{2h}{a \sin 2\alpha}\right)^{\frac{m}{2}} = \bar{G}$$

$$\Rightarrow n = g \left(\frac{h}{2a \sin^2 \alpha} \right)^{1/2} +$$

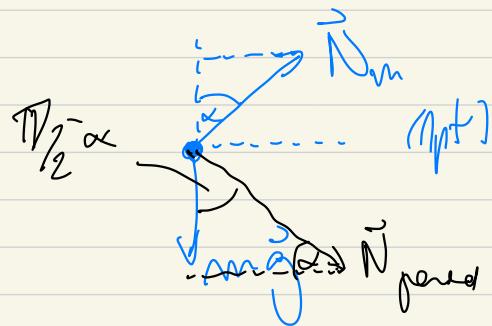
$$- h \left(\frac{a \sin \alpha}{2h} \right)^{1/2} (\text{pt})$$



DCL por M



DCL por m



be mere M aalne heie le durehe y m losiget.

$$\Rightarrow \text{g) } Ma = F_0 - N_m \sin \alpha \quad (\text{1}) \quad (1 \text{ pt})$$

$$\text{g) } 0 = N_y - Mg - N_m \cos \alpha \quad (\text{1}) \quad (1 \text{ pt})$$

$$\Rightarrow \text{g) } ma = N_m \sin \alpha + N_{\text{perd}} \cos \alpha \quad (\text{1}) \quad (1 \text{ pt})$$

$$\text{g) } 0 = N_m \cos \alpha - mg - N_{\text{perd}} \sin \alpha \quad (\text{1})$$

Si tote open le jodel (se pape rovin o se desjego)

$$\Rightarrow N_{\text{perd}} \equiv 0 \quad (1 \text{ pt})$$

$$\Rightarrow \text{g) } N_m \cos \alpha = mg \Rightarrow \text{g) g(4) ar g tend}$$

$$\Rightarrow \text{En (2)} \quad N_y = Mg + mg = (M+m)g$$

$$\text{g) En (1)} \quad Mg \tan \alpha = F_0 - mg \tan \alpha$$

$$\Rightarrow \boxed{F_0 = (M+m)g \tan \alpha} \quad (1 \text{ pt})$$